$\qquad$ Period: $\qquad$ Date: $\qquad$

## Ch. 2, L1 - Linear ROC Tables and Graphs

Objective: Given a graph, table, or situation, I will determine and interpret the rate of change of a linear function.
Think About It: A scientist is measuring the height of a plant every day to study how fast it grows. The data is record in a table and in a graph shown below. Determine the rate of change for the growth of the plant.

| Height | 3 | 5 | 7 | 9 | 11 | 13 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Day | 0 | 3 | 6 | 9 | 12 | 15 |



Big Idea: Linear functions have a constant rate of change represented as $\frac{\Delta y}{\Delta x}$.

1. Important information is highlighted and question/prompt is circled
2. Points are identified in tables and graphs
3. ROC formula is written out and substituted for $O R$ ROC formulas in function notation are annotated for inputs and outputs
4. Question/prompt is addressed in a complete sentence
$\qquad$ Period: $\qquad$ Date: $\qquad$

## Interaction with New Material:

Ex. 1) Derive the general formula for the rate of change of functions using the basic linear function $f(x)=x$ finding the rate of change from $x=a$ to $x=b$.

Ex. 2) Michael is driving from New Haven to Washington D.C. The function $f$ describes the distance he has traveled after x number of hours. What does the equation $\frac{f(5)-f(3)}{2}=68$ represent given the context? If this relationship is linear, what will be the value of $\frac{f(6)-f(5)}{1}$ ?

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## Partner Practice: (Low Difficulty)

1. Determine the rate of change of the graph below.

$\qquad$
$\qquad$
$\qquad$
$\qquad$
2. Determine the rate of change of the table and describe the units of the rate of change if the table is showing the volume of a glass of water evaporating over time.

| Volume $(\mathrm{mL})$ | 50 | 46 | 42 | 38 | 34 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Time (hours) | 0 | 2 | 4 | 6 | 8 |

3. Find the rate of change of the function $f(x)$ given, $f(5)=15$ and $f(7)=25$.
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5. Points are identified in tables and graphs
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## Partner Practice: (Medium Difficulty)

4. Marcus is trying to figure out his score on a recent math test. He writes a function $f$ that describes his score as a function of the number of questions he gets right, $x$. Given this information, what does the equation below represent?

$$
\frac{f(20)-f(17)}{20-17}=5
$$

5. Explain how the equation above is related to the slope formula you learned about in $8^{\text {th }}$ grade $\frac{\Delta y}{\Delta x}$.
6. Prove that the rate of change of a linear function is constant given the table below of the linear function $g(x)$. Explain your proof.

| $g(x)$ | 5 | 17 | 29 | 41 | 53 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $x$ | 3 | 6 | 9 | 12 | 15 |

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